

## Examination of reliable control schemes for self-governing robots in uncharted territories

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### ABSTRACT

Modern autonomous robots are becoming more and more common in a variety of applications, particularly in uncharted and uncertain situations where reliable control schemes are necessary to guarantee their stability and effective operation. With an emphasis on the core ideas that support the design of systems with resilience and adaptive capabilities under uncertain circumstances, this study attempts to offer a thorough theoretical examination of robust control mechanisms. By evaluating the literature on both conventional and contemporary control systems and concentrating on mathematical models and notions of stability and adaptation, the study took a theoretical analytical approach. Using model criteria, a theoretical framework was developed to assess the efficacy of control techniques while examining the theoretical risks and difficulties involved. The findings showed that developing reliable and efficient control systems for robots in unfamiliar situations is based on the fundamental ideas of stability and adaptive efficiency. Along with suggesting future research priorities that center on overcoming theoretical issues and creating more adaptable and accessible theories, the analysis also showed that the suggested mathematical models aid in assessing and enhancing control measures. In addition to highlighting the significance of creating future theories based on strong scientific foundations to guarantee the stability and performance of autonomous robots in dynamic and complex situations, the analysis advanced our grasp of robust control principles and tactics.

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## 1. Introduction

A contemporary technology that has advanced significantly in recent decades, autonomous robots are essential to a variety of industrial, military, and civil uses. They need sophisticated and adaptable control systems to ensure stable and effective performance because they can explore their surroundings, navigate on their own, and carry out difficult tasks in a range of environments. The

invention of control algorithms that allow these robots to select their trajectories, adapt to uncertain settings, and overcome unforeseen environmental hurdles is credited with their success [1].

Given its function in guaranteeing the stability and responsiveness of intelligent systems in unpredictable circumstances, robust control is becoming increasingly significant as technology advances and is one of the most crucial research areas in this area. Traditional control systems, which frequently rely on comprehensive or previously recognized knowledge about the surrounding environment, face significant challenges in unknown situations, which are defined by the absence of an accurate and comprehensive model. Performance issues or an inability to adapt to abrupt changes may result from this [2].

Even though control strategies have advanced significantly, there is still a glaring research gap because there isn't a complete theoretical framework that combines the concepts of stability, adaptability, and flexibility to guarantee dependable robot performance in uncharted territory. This is especially true when it comes to theoretical analysis and methodical evaluation of these strategies. Additionally, the development of generic, theoretically applicable mathematical models that allow researchers to study and forecast the behavior of complex systems under varied settings has not received enough attention in contemporary studies. This emphasizes the necessity of thorough theoretical investigation that advances our knowledge and comprehension of these tactics [3].

Developing a theoretical framework that allows the efficiency and effectiveness of robust control systems to be assessed in terms of stability, flexibility, and the capacity to adjust to unforeseen environmental changes is still the biggest difficulty. By offering a thorough theoretical examination of the fundamental ideas, mathematical models, and scientific underpinnings of robust control strategies, this study seeks to close this gap. It also develops a theoretical framework that takes into account the difficulties and suggests guiding principles for further research [4].

Using mathematical models and cybernetic theories, this research attempts to give a comprehensive and integrated theoretical analysis that focuses on simplifying concepts and examining the stability and adaptability parts of control strategies. This will directly aid in the advancement of more adaptable and efficient theories for managing robots in uncharted territory. By improving the theoretical knowledge of these tactics, this study hopes to pave the way for the creation of more sophisticated and adaptable future applications by empowering researchers to construct control systems that can operate dependably in a variety of uncertain circumstances.

## **1.1. Literature Review**

With an emphasis on current advancements, theoretical difficulties, and pertinent subjects that impact the research's theoretical framework, this review offers a thorough summary of strategies and techniques that have been produced over time.

### **1.1.1. Review of Traditional and Modern Control Strategies**

Historically, robotics control systems have depended on conventional techniques like model-based control and state feedback control. These approaches have proven to be quite limited in complicated, unknown, or dynamic contexts, despite being successful in known or static environments. Modern techniques, such as adaptive control and robust control, have developed throughout the years with the goal of withstanding unforeseen abnormalities and disruptions [5].

For instance, mathematical theories that guarantee system stability in the face of significant model errors or outside disruptions are provided by robust control strategies like sliding mode control and advanced dynamic simple control. Artificial neural networks and vector algorithms, in particular, are two machine learning techniques that have recently been used more and more to create adaptable control strategies that can better adjust to unfamiliar surroundings. Mathematical models that mimic uncertain dynamics are used to do this [6].

### **1.1.2. Adaptation and Stability Techniques in Robotic Systems**

Since adaptive approaches are necessary to allow robots to interact independently with unknown situations, a lot of research focuses on addressing the issues provided by uncertainty. These methods include contractual control theory-based adaptive models, which are founded on basic ideas that guarantee system stability while constantly interacting with unknown factors [7].

High dynamic stability can be achieved, for instance, by using adaptive algorithms based on nonlinear differential equations or Laplace's law, which allow system parameters to be changed while the system is operating. Furthermore, the foundation for guaranteeing that systems may maintain their stability in the face of unanticipated difficulties is provided by Lyapunov stability theories. Robust control strategies that guarantee resistance to distractions and unforeseen changes are designed through the construction of Lyapunov functions [8].

### **1.1.3. Theoretical Challenges Associated with Control in Unknown Environments**

Fundamental theoretical difficulties in comprehending and recording system reactions in unknowable or unpredictable situations confront researchers in this discipline. The most notable of them are modeling restrictions, which impact the precision of control techniques since mathematical models based on the rules of robotics physics are frequently approximations [9].

Furthermore, problems with theoretical stability come up, particularly when there are nonlinear systems and a lot of disturbance. It takes sophisticated mathematical analysis to guarantee stability and interaction efficiency in the face of uncertainty and shifting environmental conditions. In order to overcome these theoretical challenges, a rigorous mathematical methodology is necessary. Contractual control theories, transformational analysis, and nonlinear theories are frequently employed [10].

Therefore, it is necessary to balance the depth of theoretical analysis with the capacity for mathematical verification in order to build control techniques that are resistant to unknown changes. This involves taking into account the ideas of adaptability and complexity in modeling. It's also critical to acknowledge that, more conceptually than practically, there are still theoretical gaps that must be filled in order to improve systems' capacity to function steadily in unidentified contexts [10].

## **2. Theoretical Foundation for Sturdy Control Techniques**

A vital method for comprehending and creating reliable control schemes that allow autonomous robots to function effectively in uncharted territory is the theoretical approach. Without depending on real-world application or experimental testing, this part offers a thorough examination of the fundamental ideas, mathematical models, and theories that underlie these tactics [11].

### **2.1. Strong Concepts in Control Theoretical Analysis**

In order to provide mathematical underpinnings for guaranteeing the stability and resilience of control systems in the face of unforeseen abnormalities and disruptions, robust control theoretical analysis investigates the characteristics of dynamically coupled systems. It focuses on developing precise mathematical models, specifying stability requirements, and suggesting design strategies that guarantee resilience to alterations and disruptions in the environment. These analyses rely heavily on ideas like Lyapunov stability, adaptability, and resilience because they make it possible to establish precise mathematical correlations between system inputs and response [12].

### **2.2. Robotics Mathematical Models in Unknown Environments**

Because this work is theoretical in nature, precise mathematical models that account for uncertainty and unknown conditions are created to depict the fundamental dynamics of robots. Nonlinear systems, differential equations for robot motion, and modeling foundations that handle external perturbations are some examples of these models. Robot dynamics are expressed mathematically using probabilistic or nonlinear equations in order to analyze the effects of unforeseen anomalies on system stability and create control theories that lessen their effects [13].

### **2.3. Theories of Structural Design, Adaptability, and Stability**

Strong mathematical theories serve as the foundation for robust control systems, the most significant of which are [14]:

- By establishing a suitable Lyapunov function, the Lyapunov Theorem gives mathematical requirements for guaranteeing system stability when specific control strategies are applied. This theory is used to support the stability of nonlinear systems.
- Developing control rules that allow a system to automatically modify its parameters in response to unknown variables while maintaining strong stability is the main goal of adaptive control theories. This is accomplished through the development of theoretical models that describe the evolution of parameters during operation.
- Using structural design principles derived from the fundamentals of control theories, structural design deals with the development of theoretical control structures that enable the modification of system performance and endurance, allowing robots to function effectively in highly uncertain environments.

The links between mathematical models, theoretical stability, and design flexibility are highlighted in this context through the study of sophisticated mathematical models associated with nonlinear dynamic interactions and the development of stability and adaptive theories to assess and analyze system features.

## **3. A Conceptual Structure for Strategy Evaluation**

### **3.1 An explanation of the theoretical approach used to assess and examine control strategies**

The idea of mathematical models serves as the foundation for this framework. These models provide a foundation for integrating the description of robot behavior in as-yet-unstudied contexts, emphasizing the robots' capacity for adaptation and stability in unpredictable circumstances.

This framework is based on the idea that evaluating control strategies necessitates a thorough evaluation of each strategy's traits, including how well it responds to environmental changes, how adaptable it is when dealing with unknowns, and whether it is theoretically feasible in terms of system stability. To ascertain the degree to which techniques can preserve system stability under novel and unexpected circumstances, theoretical analysis tools including dynamic equations, adaption theories, and Lyapunov stability theory are consulted [15].

### **3.2. Models and Standards**

The framework outlines a number of fundamental standards for assessing control tactics, such as but not restricted to [16]:

- The ability of a strategy to adjust its behavior in response to changes in the environment is known as flexibility and adaptability.
- Long-term stability: When the plan is put into practice, stability is attained in the system's dynamic models.

- Symmetry and impartiality: The strategy's capacity to function well in a variety of dynamic circumstances.
- Validation and theoretical dependability, especially by analytical demonstrations of the system's stability.

Robotic systems, whether linear or nonlinear, are represented by mathematical models based on unknown surroundings once the criteria have been established. These models, which are used to examine the system's control response properties, include matrix frameworks, differential equations, and integral equations.

### **3.3. Theoretical Challenges and Future Research Priorities**

There are a number of issues that need to be resolved at the theoretical level, the most significant of which are [17]:

- Incomplete data and lack of certainty: The consequences of missing information and incomplete data must be carefully examined when using mathematical models.
- The intricacy of accurate models might be high, necessitating sophisticated analytical techniques.
- Compatibility issues between models and theoretical analysis: It's important to make sure that the models being employed accurately reflect the unknown system's reality.

Future research priorities therefore need to:

- Creating models that are easier to assess and more adaptable.
- Using analytical approaches to improve simulation evidence and stability in the absence of complete information.
- Adaptive theory, machine learning, and robust control principles are used to create more resilient and successful solutions in uncharted territory [18].

## **4. Results and Discussion**

### **4.1. Findings from the Theoretical Study of Superior Robot Control Techniques in Unknown Environments**

Despite the absence of empirical support, the theoretical investigation showed that strong control systems founded on the ideas of stability and adaptation may accomplish a high degree of flexibility and theoretical stability. First and foremost, it was shown that, within specific bounds of unknown changes, control strategies grounded in nonlinear dynamic models and Lyapunov theory principles guarantee system stability. Additionally, by striking a balance between adapting analytical techniques and the system's structural robustness, the application of adaptive and structural control theories showed their potential benefits for the sustainability of robot performance in uncertain circumstances.

Additionally, the theoretical research showed that adaptive technique-based control strategies are more dependent on estimating models and show promise in managing uncertainty. The reliability of the original models and the capacity to precisely describe adaption parameters within a theoretical framework, however, can occasionally restrict their findings. On the other hand, structurally based control techniques show a stronger ability to maintain stability under a larger variety of environmental circumstances.

### **4.2. Analysis of the Findings and How They Fit into the Existing Literature**



The study's findings are in good agreement with earlier research, which has established the theoretical efficacy of control strategies based on adaptive flexibility and Lyapunov theories in guaranteeing the stability of nonlinear systems in unidentified contexts (Takada et al., 2022). Nonetheless, the study shows that there is a need for more coherence between theoretical models and practical applications because existing models need to be improved in order to handle unclear or partial data.

By emphasizing the cooperative possibilities of various control strategy types and how they might be combined to produce more flexible and adaptive stability, the work theoretically makes significant contributions. According to Schomis et al. (2023), this is consistent with current developments in multi-level control theories. The creation of consistent standards for evaluating the stability and sustainability of control systems in extremely complex and dynamic contexts, however, is the area that needs more theoretical investigation.

#### **4.3. The reviewed studies' theoretical strengths and limitations**

The key advantages of the suggested tactics, according to theoretical study, are their adaptability in handling ambiguities, their adaptability in handling crises, and their susceptibility to analysis and validation utilizing the Lyapunov energy stability theory. Some theories still rely on somewhat idealistic presumptions, such as the stability of mathematical models and their absence of unanticipated changes, which is one of their weaknesses. This emphasizes the necessity of creating more complementary models in the future that more accurately take inefficiencies or missing data into account.

The absence of a consistent objective assessment or a trustworthy framework for methodically contrasting various control systems is another theoretical drawback. This restricts the potential to enhance and create optimal models solely through abstract mathematical presumptions.

#### **4.4. Prospects for the Future in Light of Theoretical Results**

The research findings indicate that in order to increase the adaptive effectiveness of strategies and guarantee system stability, it is imperative to concentrate on creating more realistic models for unknown situations utilizing contemporary analytical techniques like machine learning and enhanced dynamic analysis. In order to better connect theoretical findings to real-world performance and ease the transfer from theory to practice, it is also imperative to develop uniform standards for assessing the effectiveness of control strategies.

### **5. Conclusion**

The findings of this study emphasize how crucial it is to theoretically analyze robust control mechanisms in order to enable autonomous robots to carry out their missions effectively and dependably in unfamiliar and complicated surroundings. The study shows that improving robots' capacity to handle unforeseen environmental changes, guaranteeing consistent performance and system stability under highly interfering conditions, requires the development of integrated mathematical models as well as precise stability and adaptability philosophies. The suggested theoretical framework improves researchers' and designers' capacity to create cutting-edge technologies that satisfy the demands of demanding environments and serves as a crucial scientific resource for comprehending the basic factors that impact control strategies.

The findings of this study have practical scientific relevance since they advance our knowledge of the theoretical difficulties in creating reliable control systems and offer a theoretical foundation for the creation of future, more sophisticated algorithms and tactics. The study also emphasizes how critical it is to encourage further research into novel approaches that can improve robots' capacity for

adaptive learning and stability in uncertain environments, thereby expanding our understanding of automatic control and autonomous systems. In the end, this study is a significant step toward the development of cutting-edge control theories and techniques that directly improve the functional performance of robots in industrial and life applications, strengthening their usefulness in society of the future.

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